

A SMALL SURVEY ON EFFECT OF WEATHER CONDITIONS ON AGRICULTURE USING VARIOUS TECHNIQUES

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ABSTRACT: Agriculture is highly dependent on the spatial and temporal distribution of monsoon rainfall. This paper presents an analysis of crop–weather condition relationships for Andhra Pradesh, using important production statistics for major crops like rice, cotton, tobacco, etc.,. It is observed that the crop prediction is affected due to weather changes. Andhra Pradesh is a rained farming area where rice, drought-tolerant crops and several types of vegetables and many more are cultivated. The effects of weather change were estimated by inputting meteorological data that reflects the influence of weather change. The crop yield prediction is summarized and displayed as output.

Keywords— Precipitation, Vapour Pressure, Temperature, Crop Yield, Regression, Prediction

I. INTRODUCTION THE EFFECTS OF CLIMATE DIFFERENT CLIMATIC CHANGES. REGRESSION IS CHANGE (ON TEMPERATURE, PRECIPITATION, AND STATISTICAL EMPIRICAL TECHNIQUE AND IS VAPOUR PRESSURE) CAN SIGNIFICANTLY AFFECT WIDELY USED IN BUSINESS, THE SOCIAL AND AGRICULTURE. MOST COUNTRIES IN THE ASIAN BEHAVIOURAL SCIENCES, THE BIOLOGICAL MONSOON REGION ARE AGRICULTURAL AREAS, SCIENCES, CLIMATE PREDICTIONS, AND IN MANY AND THE IMPACT OF CLIMATE CHANGE ON THIS OTHER AREAS. IN INDIA CROP YIELD VARIES REGION IS VERY SIGNIFICANT. RAIN-FED AREAS, IN SIGNIFICANTLY FROM REGION TO REGION. THE PARTICULAR, ARE VERY VULNERABLE TO EXTREME PROPOSED STUDY ANALYSES THE IMPACT OF WEATHER EVENTS, SUCH AS FLOODS AND VARIOUS GLOBAL CLIMATIC PARAMETERS SUCH DROUGHTS. ON THE OTHER HAND, IN MOUNTAIN AS TEMPERATURE, PRECIPITATION AND VAPOUR REGIONS, IT IS EXPECTED THAT AIR TEMPERATURE PRESSURE OF KRISHNA DISTRICT OF ANDHRA CHANGES WILL BE AMPLIFIED. MOREOVER, AN PRADESH. IN THIS ANALYSIS, CORRELATION AND AMENDMENT IN THE ONSET AND PERIOD OF LINEAR REGRESSION APPROACH ARE USED FOR THE RAINY SEASON WILL HAVE SERIOUS PREDICTION OF CROP YIELD OVER KRISHNA EFFECTS ON YIELDS AND FARMING PLAN. TO DISTRICT.

ii. Data analysis the crop yield prediction is predicted the crop yield basing on the climatic changes such as temperature, precipitation, vapour pressure we use linear regression analysis in R programming. It is analyzed using the methods of networks, and observed that the accurate and timely weather forecasting is a major challenge for the scientific community. Crop yield prediction modelling comprises a data mining in some of the journals. Artificial observation and knowledge of trends and patterns [1]. While applying these methods the prediction of crop yield studying intelligence and neural networks are more complicated when compared to data mining because artificial intelligence involves some artificial neural networks are computational models inspired by animals' central nervous systems (in particular the brain) that are capable of machine learning and pattern recognition. In data mining, some of the functionalities are used i.e. Classification, clustering, regression

or prediction, association, etc. Finally, the prediction methods are taken into consideration and are done by applying the regression approach. In the process of regression, kernel Pearson correlation coefficient is used in finding the measure of crop yield in kg's/hectare in the particular region. It is an obligation to predict the crop yield in the coming years, using the linear regression approach. While using the data, the crop yield is computed with the help of correlations coefficient. The correlation coefficient is compared with the predicted data with the help of regression approach. Crop yield is measured regarding kilogram/hectare(kg/hect) years, and crop yield is given in the graph with x and y-axis respectively. To use the input data, the output is given as soon as possible. Therefore, the output is predicted for the future year's crop yield[3]. It is observed that the output data is approximate because the prediction of the harvest yield for the coming years calculated using regression approach. In this method, some of the predictor variables are used which is useful to predict the crop yield during 2000 to 2013 years+. The data utilized in the present study is collected from the chief planning officer of Krishna district, Andhra Pradesh.

iii. Regression

Regression analysis is a statistical process for estimating the relationships among variables. It includes many techniques for modeling and analyzing several variables, when the focus is on the link between a dependent and one or more independent variables. Regression is of two methods namely simple linear regression and multiple regression models.

Standard linear regression. Regression is a statistical measure that attempts to determine the strength of the relationship between one dependent variable (i.e. The label attribute) and a series of other changing variables known

as independent variables (regular attributes). Predicting specific labels. In the standard linear regression model, we consider linear regression models of the form[6].

$$y = f(x_1, x_2, \dots, x_k) + \varepsilon = \alpha + \beta_1 x_1 + \beta_2 x_2 + \dots + \beta_k x_k + \varepsilon,$$

Least squares usually achieve the estimation of the parameters. The least squares estimate $(\alpha, \beta_1, \dots, \beta_k)$ minimize the sum of the squared differences between the observations and the values that are implied by the model,

$$D(\alpha, \beta_1, \dots, \beta_k) = \sum_{i=1}^n [y_i - (\alpha + \beta_1 x_{i1} + \beta_2 x_{i2} + \dots + \beta_k x_{ik})]^2.$$

The expression below is called fitted value

$$\hat{y}_i = \hat{\alpha} + \hat{\beta}_1 x_{i1} + \hat{\beta}_2 x_{i2} + \dots + \hat{\beta}_k x_{ik}$$

And the difference $y_i - \hat{y}_i$ is known as the residual. The minimizing value $\hat{D} = \hat{D}(\hat{\alpha}, \hat{\beta}_1, \dots, \hat{\beta}_k) = \sum_{i=1}^n (\hat{y}_i - y_i)^2$ determines the estimate of $\text{Var}(\varepsilon_i) = \sigma^2$, the r-square, and the f-statistic for testing the overall significance of the regression. The unbiased estimate of σ^2 is given by

$$\hat{\sigma}^2 = \frac{\hat{D}}{n - k - 1}.$$

the r-square,[14].

$$R^2 = 1 - \left[\frac{\hat{D}}{\sum (y_i - \bar{y})^2} \right]$$

Expresses the proportion of variation that is explained by the regression model.

The f-statistic,[14].

$$F = \frac{\left[\sum_{i=1}^n (y_i - \bar{y})^2 - \hat{D} \right] / k}{\hat{D} / (n - k - 1)}$$

The adjusted r-square for a model with k regressors and k + 1 estimated coefficients,

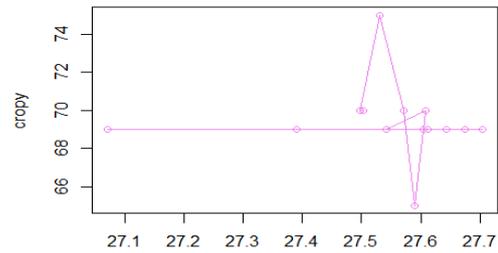
$$R_{adj}^2 = 1 - \frac{\widehat{D}/(n - k - 1)}{\sum (y_i - \bar{y})^2 / (n - 1)},$$

given a set of predictions for m new cases, we can evaluate the predictions according to their (me and rmse[10],mape[11])

Mean error: $ME = \left(\frac{1}{m}\right) \sum_{i=1}^m (y_i - \hat{y}_i),$

Root mean square error: $RMSE = \sqrt{\left(\frac{1}{m}\right) \sum_{i=1}^m (y_i - \hat{y}_i)^2},$ and

Mean absolute percent error: $MAPE = \frac{100}{m} \sum_{i=1}^m \frac{|y_i - \hat{y}_i|}{y_i},$



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residual standard error: 2.107 on 12 degrees of freedom
Multiple R-squared: 0.00122, adjusted R-squared: -0.07995
F-statistic: 0.03758 on 1 and 12 DF, p-value: 0.8495
> model1=lm(year ~ cropy)
> summary(model1)
call:
lm(formula = year ~ cropy)
Residuals:
    min       1Q   median       3Q      max
-6.3273 -2.9773  0.2227  2.4364  6.1364
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept) 1942.3542    39.3576  49.359 2.78e-15 ***
cropy         0.004    0.5666    0.122   0.283
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

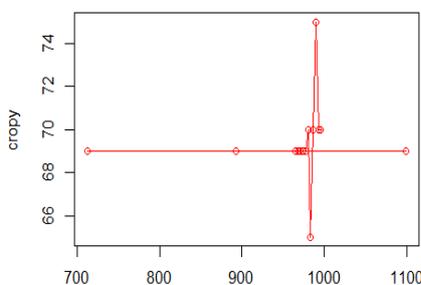
residual standard error: 4.142 on 12 degrees of freedom
Multiple R-squared: 0.0011, adjusted R-squared: -0.0197
F-statistic: 1.263 on 1 and 12 DF, p-value: 0.2834
> model2=lm(cropy ~ vp)
> summary(model2)
call:
lm(formula = cropy ~ vp)
Residuals:
    min       1Q   median       3Q      max
-4.4897 -0.4123 -0.3004  0.4262  3.4424
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept)  7.728    127.608    0.061  0.953
vp           2.452     0.090    0.484  0.627

residual standard error: 1.09 on 12 degrees of freedom
Multiple R-squared: 0.0261, adjusted R-squared: -0.06263
F-statistic: 0.2338 on 1 and 12 DF, p-value: 0.6374
> w=data.frame(tp=(23,28))
> plot=lm(cropy~tp)
```

Description:

first, create some data sets like a year, precipitation vapour pressure, temperature and crop yield by assigning some values to them. Next, we plotted the graphs for them based on the given values till the year 2013 by the help of the following code.

➤ Plot(precipitation,cropy,type= "o",col="red")

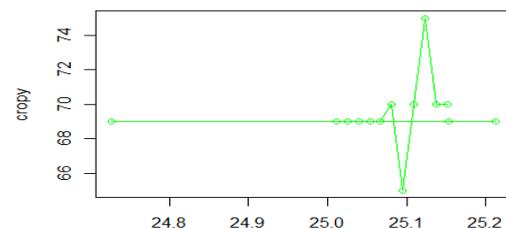


precipitation

➤ Plot(tp,cropy,type= "o",col="violet")

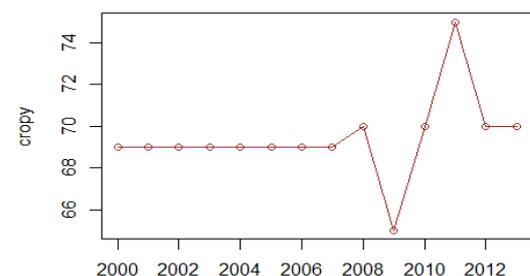
tp

➤ Plot(vp,cropy,type= "o",col="green")



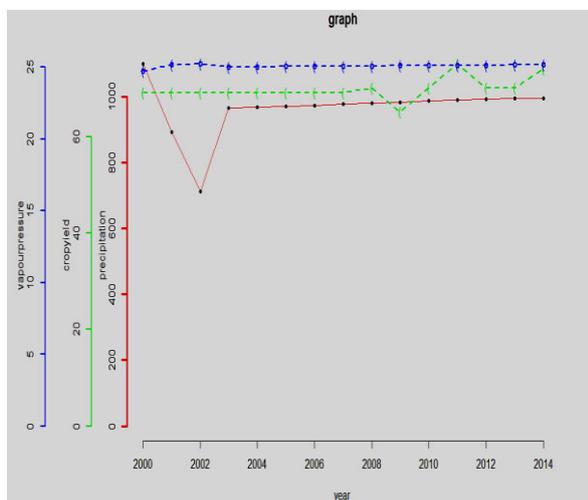
Vp

➤ Plot(year,cropy,type= "o",col="brown")



Prediction graph:

we often have to plot multiple time-series with different scale of values for comparative purposes, and although placing them in different rows are useful, put on the same graph is still useful sometimes



Iv .conclusion

In this paper, we applied multiple linear regression approach to extract knowledge from krishna district climate and crop yield. The dataset includes thirteen years period from 2000 to 2013 climate and crop yield observation. We have gone through all prediction process and applied many prediction algorithms like linear regression. Multiple linear regressions provide a very useful and accurate knowledge in a form of rules, models, and visual graphs as shown in the figures. This knowledge can be used to obtain useful prediction and support the decision making for different sectors.

v. Acknowledgment

The authors thank the meteorological department, machilipatnam, and krishna district

for providing the opportunity for sharing information and receiving useful comments on climatic data and crop yield.

Vi. References

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